Supermassive Black Holes Masses and Accretion Rates



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Mass of central bulge





Mass of central bulge

Correlation Between Black Hole Mass and Bulge Mass in Active Galaxies



Mass of central bulge

Correlation Between Black Hole Accretion Rate and Host Galaxy Star Formation Rate



Host Galaxy Star Formation Rate









Nuker Team



M 87: $M_{\odot} = 6.2 \times 10^9 M_{\odot}$ (Gebhardt et al. 2011)









High-Accuracy, High-Precision BH Masses with ALMA









MEASUREMENT OF THE BLACK HOLE MASS IN NGC 1332 FROM ALMA OBSERVATIONS AT 0.044 ARCSECOND RESOLUTION

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Black Hole - Host Galaxy Scaling Relations



Kormendy & Ho (2013, ARA&A)



$$M_{\bullet} - M_{\text{bulge}}$$
 Relation

$$\frac{M_{\bullet}}{10^9 \ M_{\odot}} = \left(0.49^{+0.06}_{-0.05}\right) \left(\frac{M_{\text{bulge}}}{10^{11} \ M_{\odot}}\right)^{1.16\pm0.08}; \text{ intrinsic scatter} = 0.29 \text{ dex.}$$

$M_{\bullet} - \sigma$ Relation

$$\frac{M_{\bullet}}{10^9 \ M_{\odot}} = \left(0.309^{+0.037}_{-0.033}\right) \left(\frac{\sigma}{200 \ \mathrm{km \ s}^{-1}}\right)^{4.38 \pm 0.29} \text{ intrinsic scatter} = 0.28$$

Black Hole Masses in Active Galaxies





 $M_{\rm virial} = f R V^2 / G$

- *f* geometric fudge factor
- **R** BLR radius
- **V** BLR velocity dispersion



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 $\tau = (1 + \cos \theta) R/c$



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 $M_{\rm virial} = f R V^2 / G$

geometric fudge factor

R BLR radius

V BLR velocity dispersion

M• can be estimated to an accuracy of ~0.3 - 0.5 dex for $z \approx 0 - 7$





Mortlock et al. (2011)





Banados et al. (2017)

Calibration of *f*-factor




Calibration of Single-Epoch Virial Masses

 $\log M_{\rm BH}({\rm H}\beta) = \log \left[\left(\frac{{\rm FWHM}({\rm H}\beta)}{1000 \,{\rm km}\,{\rm s}^{-1}} \right)^2 \left(\frac{\lambda L_{\lambda}(5100 \,{\rm \AA})}{10^{44} \,{\rm erg}\,{\rm s}^{-1}} \right)^{0.533} \right] + a$ $\frac{Dseudo \ bulges}{a = 6.62 \pm 0.04} \quad \varepsilon_0 = 0.38$





Kim, Ho, et al. (2017)



Greene & Ho (2004, 2007a,b); Dong, Ho et al. (2012)

HST/ACS

Greene, Ho & Barth (2008); Jiang, Greene & Ho (2011a, b)



A Revised BLR Size-Luminosity Relation



Can we ever do better than factor of 2-3?



Li et al. (2018)

Can we ever do better than factor of 2-3?

Li et al. (2018)



Grier et al. (2013)







Xiao et al. (2018)





Zhao, Ho et al. (2018)

SDSS J120048.00+314800.0 SDSS J084224.00+362512.0 z=0.116 z=0.562 SDSS J122224.00-000743.7 SDSS J164136.00+385848.0 z=0.173 z=0.596 $(cm^2/Å)$ SDSS J142200.00+250936.0 SDSS J134560.00+414912.0 erg/s/ z=0.233 z=0.614 $f_{\lambda}(10^{-17}$ 40 SDSS J111000.00+423260.0 SDSS J005009.60-003900.7 z=0.261 z=0.728 SDSS J142248.00+383712.0 SDSS J162159.99+352060.0 z=0.266 z=0.759 observed wavelength (Å) observed wavelength (Å)

Kong & Ho (2018)





Kong & Ho (2018)



Kong & Ho (2018)







Ricci et al. (2017)

She, Ho & Feng (2018)













Bolometric Corrections

 $L_{bol} = \kappa_x L_x$ x = 5100 Ang 2–10 keV [O III] 5007 etc ...

κ_x *is not a constant !*




























Collinson et al. (2015)







Tweakingreddeninghost galaxy"wind"inclinationspin







log vf,









Sadowski & Narayan (2016)



Jiang, Stone & Davis (2017)



Jiang, Stone & Davis (2017)



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