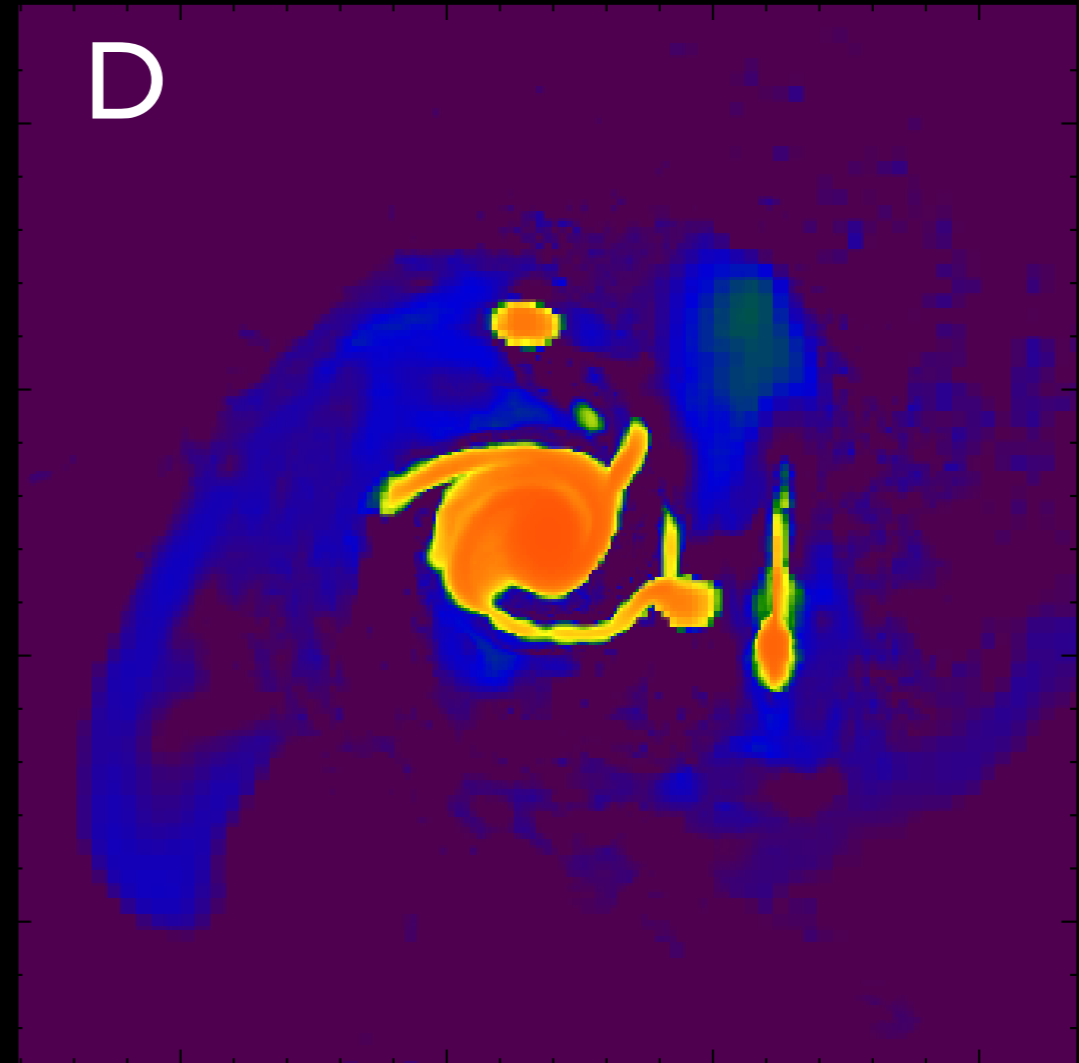
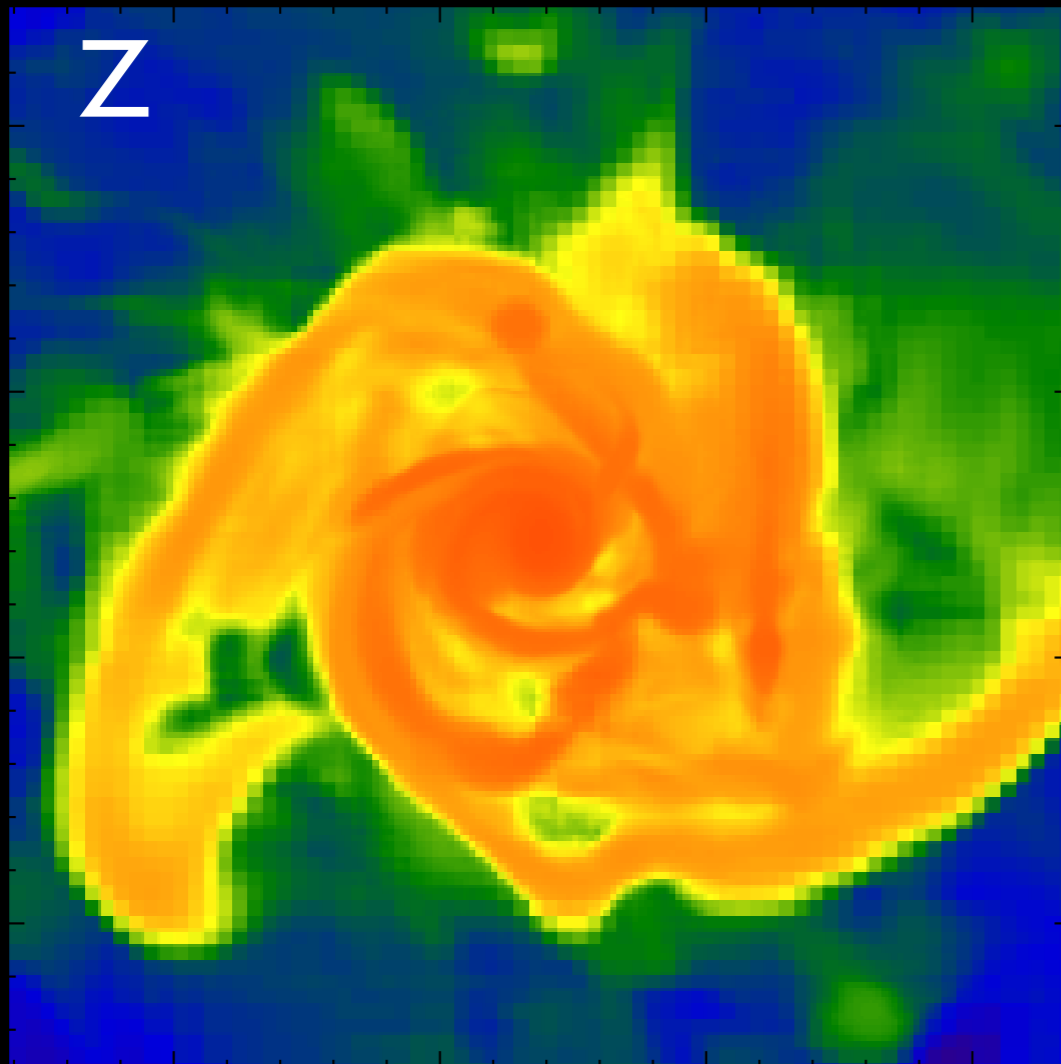


What drives low dust-to-gas and dust-to-metal ratios in galaxies?

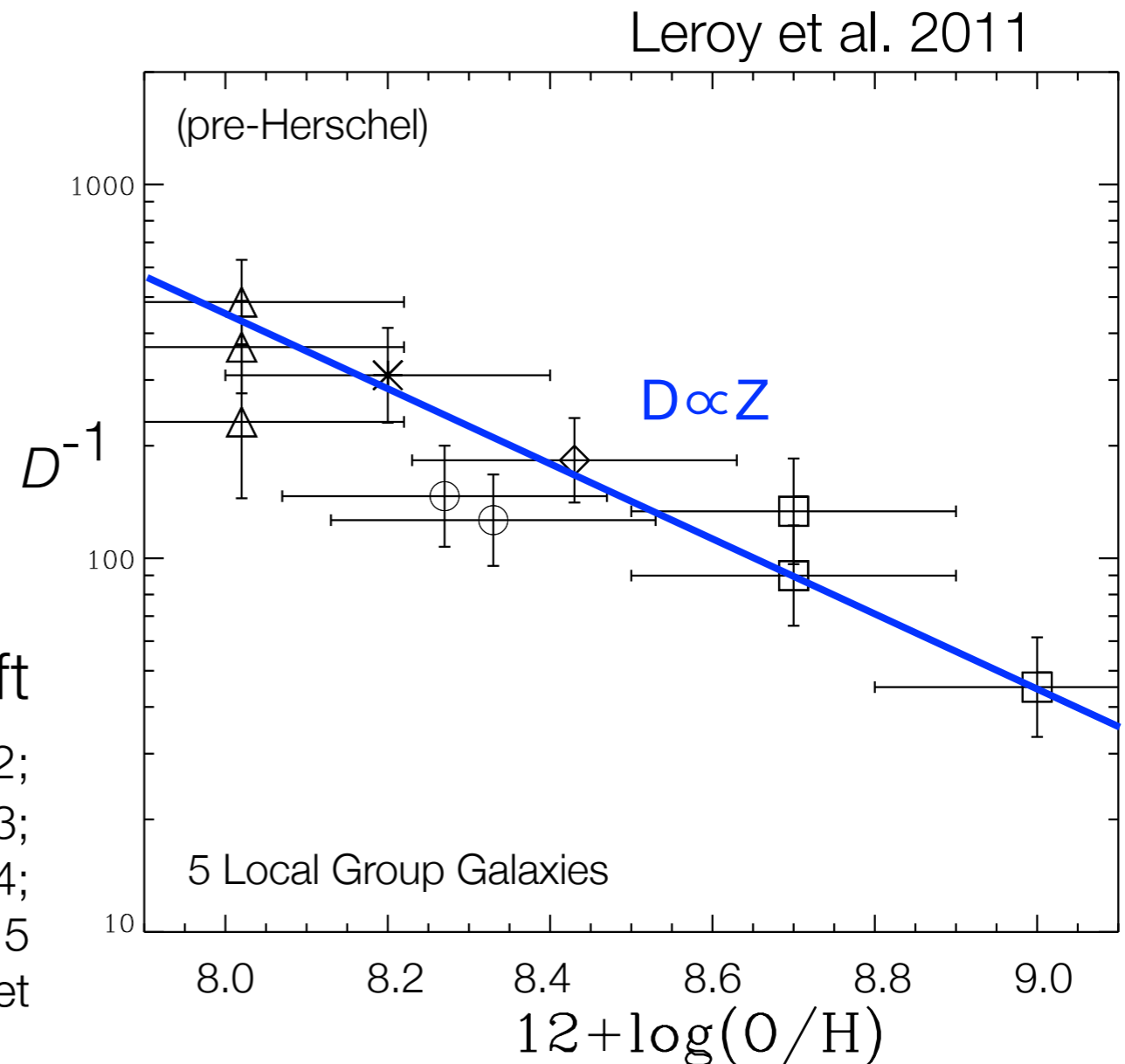


based on
Feldmann 2015, MNRAS, 449,
arxiv:1412.2755

Robert Feldmann
UC Berkeley

What sets the dust abundance in galaxies?

- observations show $D \sim 0.5 \times Z$ for many nearby galaxies
- similar result at intermediate z (QSO, GRB; e.g. de Cia+13, Zafar & Watson 13)
- How dusty are high-redshift galaxies? e.g., Walter et al. 2012; Kanekar et al. 2013; Ouchi et al. 2013; Ota et al. 2014; Gonzalez-Lopez et al. 2014; Maiolino et al. 2015; Schaerer et al. 2015 Cooray et al. 14, Capak et al. 15, Watson et al. 15, Scoville et al. 2015

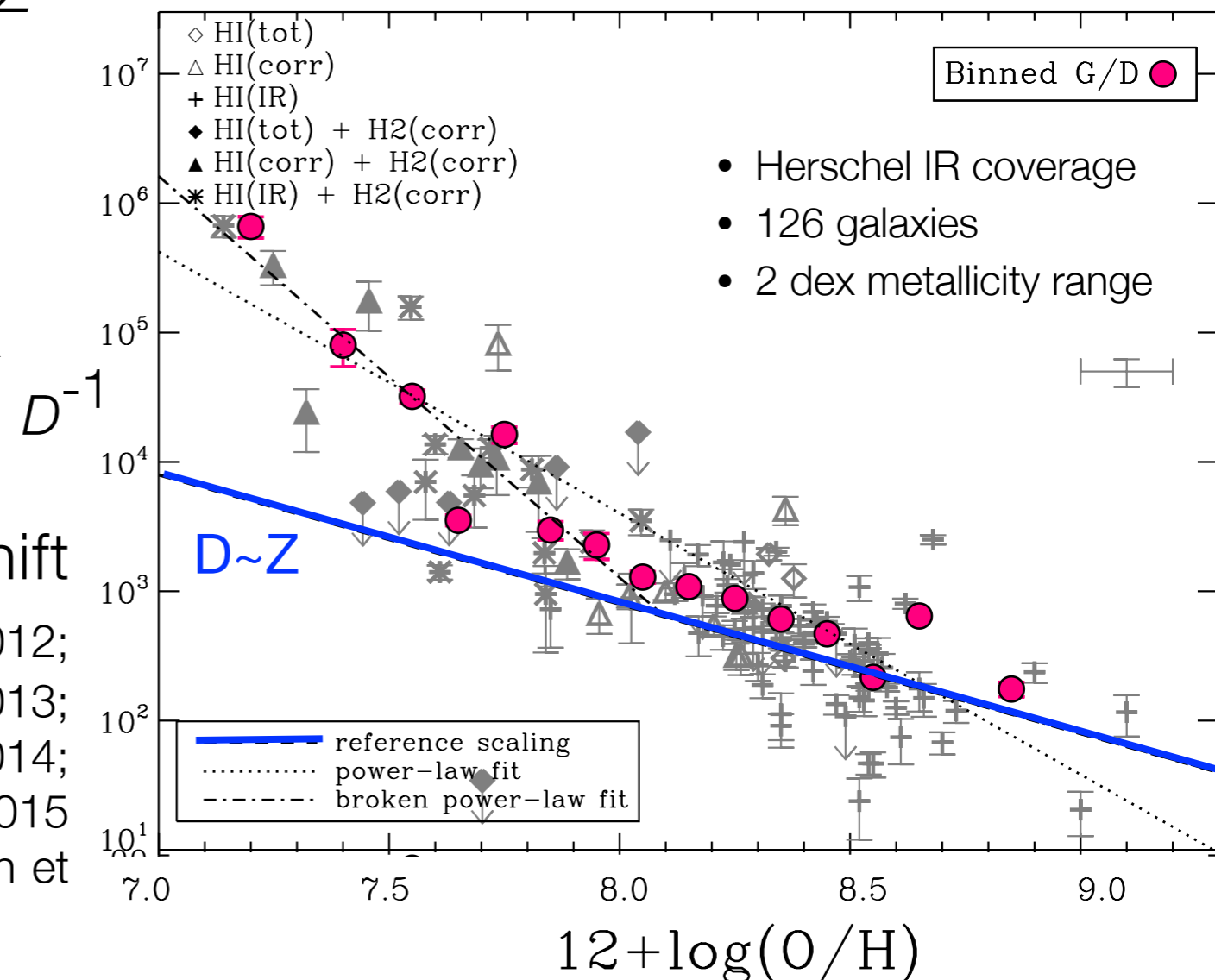


- clear deviation from linear relation for nearby dwarf galaxies
 - prototypical example: low Z , dwarf galaxies such as I Zw 18 (e.g., Galametz et al. 2011, Herrera-Camus et al. 2012)
 - larger samples with Herschel (e.g., Remy-Ruyer et al. 2014)

What sets the dust abundance in galaxies?

Rémy-Ruyer et al. 2014

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- Herschel IR coverage
- 126 galaxies
- 2 dex metallicity range

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What does it tell us about the physics of dust?

- importance of grain growth in the cold ISM
- stellar dust production / destruction
- role of dust-poor inflows & dusty outflows

Extract information about the chemical cycle of the ISM?

Metals

- primary cooling agent
- required for ISM chemistry



Dust

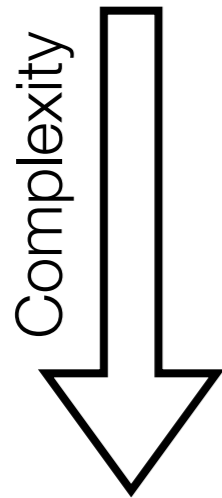
- shielding agent
- cooling/heating
- catalysts for H₂ formation
- radiation pressure

Star formation

- metal & dust production
- dust destruction

How to analyze the dust evolution of galaxies?

Complexity



- one-zone chemical model with equilibrium ansatz
- dynamical, one-zone model with empirical constraints
- cosmological, hydrodynamical simulation with live dust model

e.g., Bekki 2015, McKinnon et al. 2015,
Feldmann & Gnedin in prep

Dust production & destruction:

- dust production by stars (AGB stars, SN) [\propto metal production]
 - dust destruction by SN shockwaves
 - dust removal via star formation
 - dust removal in outflows
 - inflows from the cosmic web
 - dust growth in the interstellar medium: $\dot{M}_{\text{dust}} \propto M_{\text{dust}}/t_{\text{acc}}$
 - here: $t_{\text{acc}} \sim t_{\text{acc},\odot} Z_{\odot} / Z$ (e.g., Inoue+11, Asano+13)
 - can be calculated directly (collision theory, e.g., Dwek 1998, Weingartner & Draine 1999), but uncertain parameters
- => t_{acc} rather uncertain: 10^5 yr (Dwek 1998) – 10^8 yr (Hirashita 2000)

One-zone models

- treat galaxies as a single zone
- average over spatial variations

$$\dot{M}_g = \dot{M}_{g,\text{in}} - (1 - R) \text{SFR} - \epsilon_{\text{out}} \text{SFR}$$

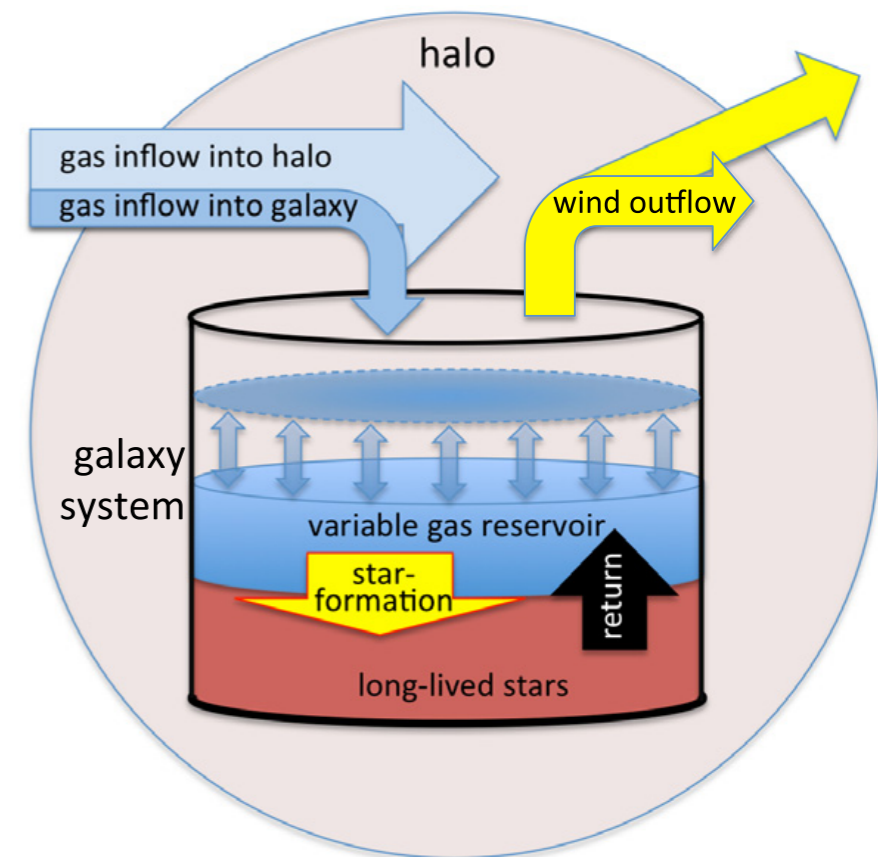
change in
ISM mass

inflow

star formation

outflows

- similar equations for
 - metal masses in the ISM (y)
 - dust masses ($y_d, t_{\text{acc}}, \epsilon_{\text{SN}}$)
- extensively used to study chemical (dust/metals) evolution:



Lilly et al. 2013

e.g., Dwek & Scalo 1980, Wang 1991, Dwek 1998, Hirashita & Ferrara 2002, Galliano, Dwek & Chanial 2008, Gall, Andersen & Hjorth 2011, Inoue 2011, Asano et al. 2013, Feldmann 2013, Lilly et al. 2013, Zhukovska 2014, Zahid et al. 2014, ...

Outflows

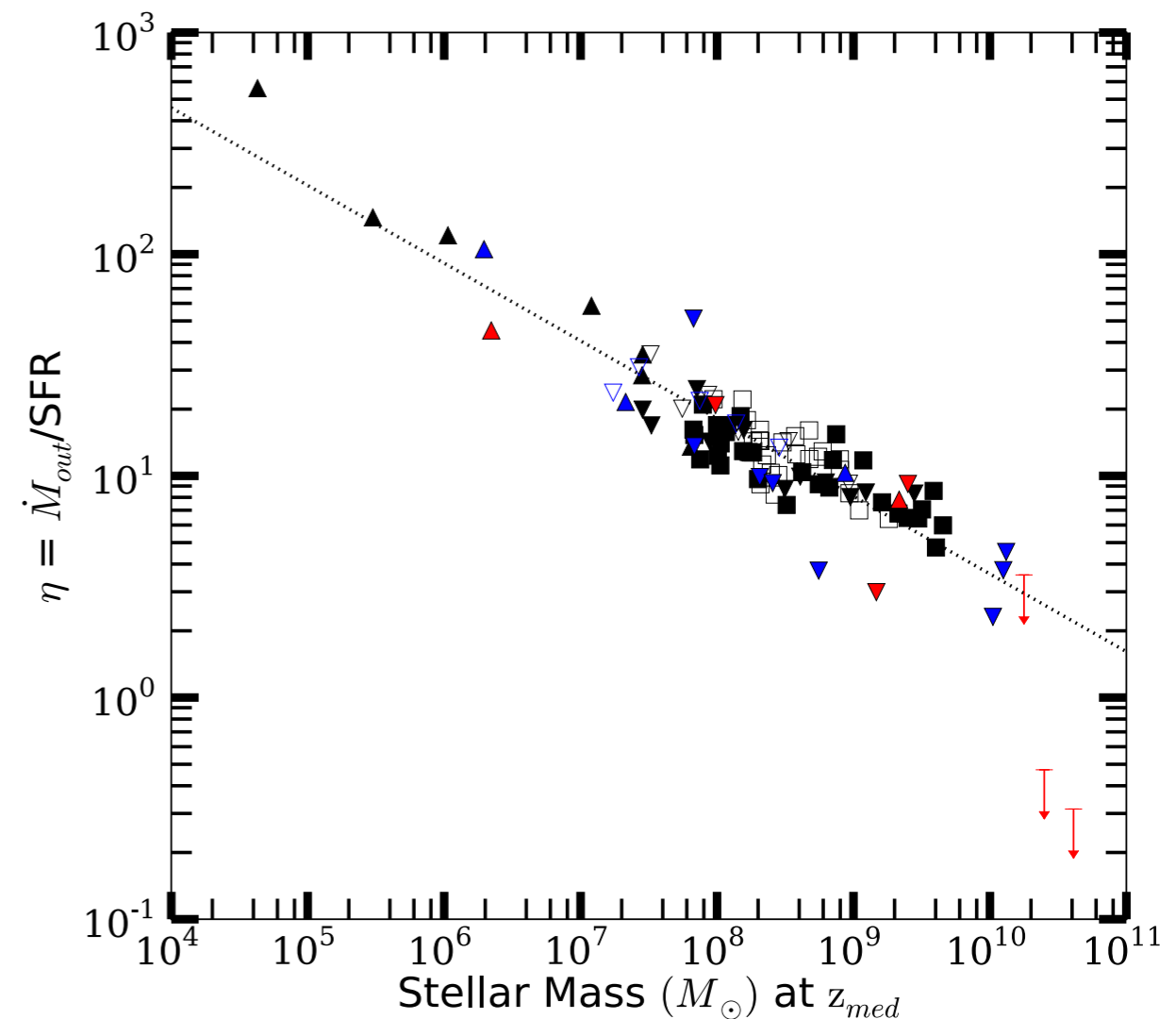
mass loading factor $\epsilon_{\text{out}} = \frac{\dot{M}_{\text{gas,out}}}{\text{SFR}}$

- hydrodynamical simulations find mass loading increases with decreasing stellar mass (e.g., Hopkins et al. 2011, Shen et al. 2012, Muratov et al. 2015)

$$\epsilon_{\text{out}} \propto M_*^{-[0.3,0.5]}$$

- consistent with observations of outflows ($\sim 10^4$ K gas) from galaxies in the nearby Universe (e.g., Chisholm et al. 2014)

Muratov et al. 2015



Equilibrium Model

Equilibrium ansatz: Z and D change only “slowly”

gas mass / gas accretion rate $\approx t_{\text{age}}$
(see Feldmann 2015)

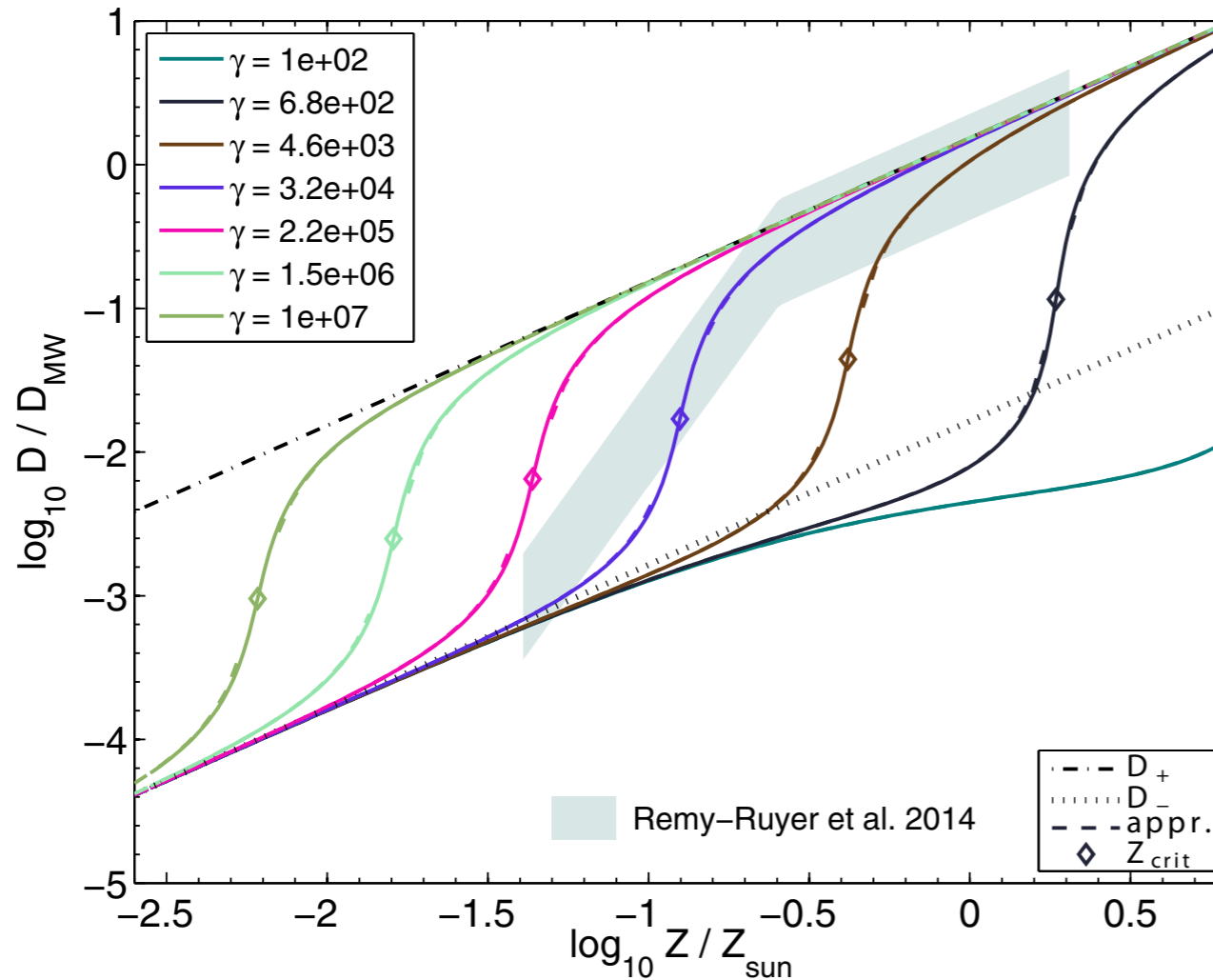
1. $\langle Z \rangle \sim \overset{\text{metal yield}}{y} \frac{\text{SFR}}{\dot{M}_{\text{gas,in}}}$

$$\left(\frac{\text{SFR}}{\dot{M}_{\text{gas,in}}} \right)^{-1} = \underset{\substack{\uparrow \\ \text{outflows}}}{\epsilon_{\text{out}}} + \underset{\substack{\uparrow \\ \text{star formation}}}{(1 - R)} + \underset{\substack{\nwarrow \\ \text{changing ISM masses}}}{\dot{M}_{\text{gas}}/\text{SFR}}$$

2. $\langle D \rangle = f\left(Z, \frac{\text{SFR}}{\dot{M}_{\text{gas,in}}}, \dots\right) \Rightarrow \langle D \rangle(Z, \dots)$

model parameters, e.g., y, y_d, \dots

Equilibrium prediction for the dust-to-gas ratio



$$\gamma = \frac{t_{\text{dep}, \text{H}_2}}{t_{\text{acc}, \odot} Z_{\odot}}$$

$$\gamma \sim 3 \times 10^4$$

$$\Rightarrow t_{\text{acc}, \odot} \sim 1 - 3 \times 10^6 \text{ yr}$$

- 3 regimes:

- small D/Z : $D \sim \frac{y_d}{y} Z$

D set by stellar dust production

- large D/Z : $D \sim \mathcal{O}(1) Z$

D depletion limited

- critical metallicity: $Z_{\text{crit}} \sim \sqrt{y/\gamma}$

balance: dust production & dust dilution by gas-poor inflows

- form of the D - Z relation constrains y_D/y & $t_{\text{dep}}/t_{\text{acc}}$

Main motivation:

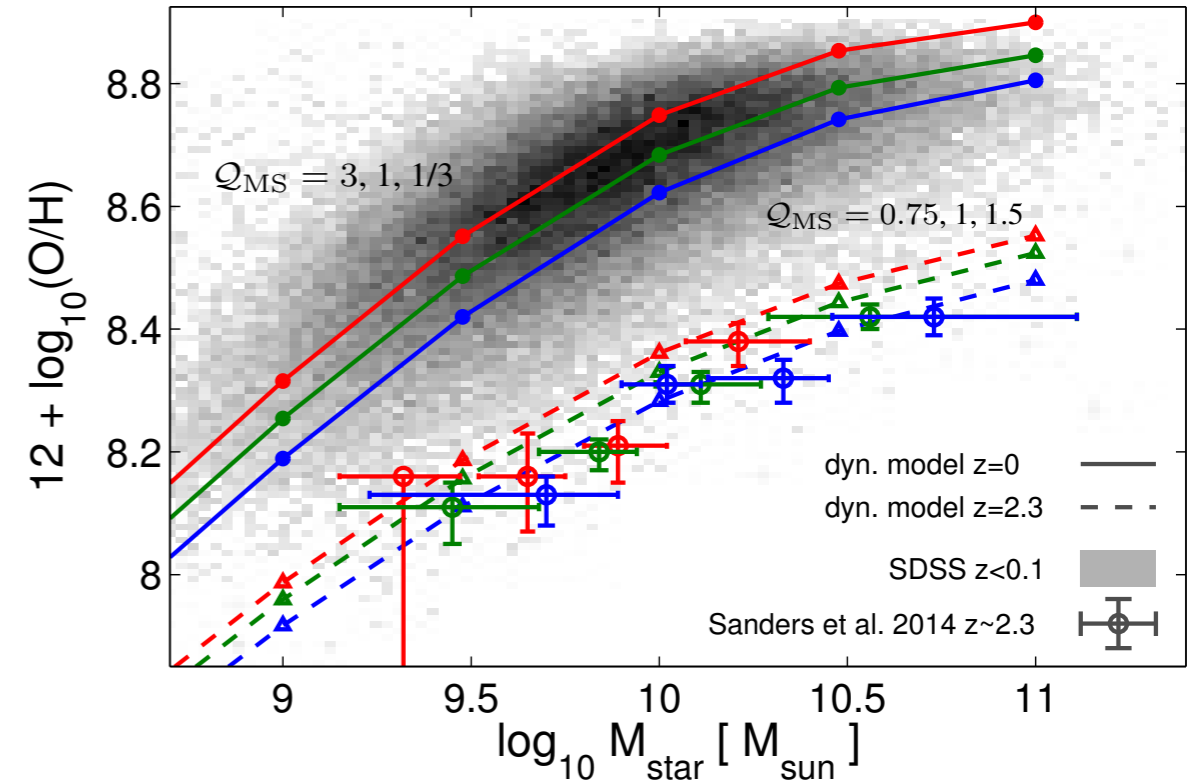
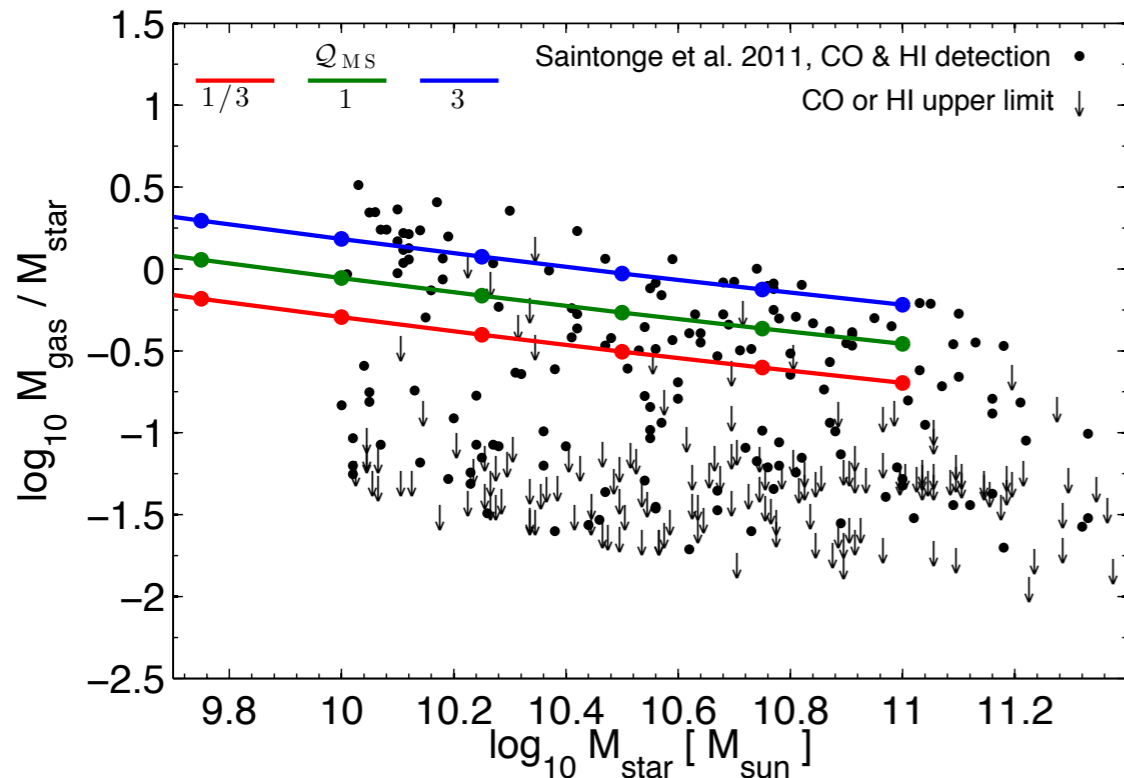
- to test validity / accuracy of the equilibrium ansatz
- to study which processes (outflows, star formation, evolving ISM masses, ...) drive low D/Z ratios
- to gain additional insights in the evolution of properties not captured by the equilibrium ansatz

Method:

- pick $z=0$ galaxy of certain stellar mass
- evolve the observed $s\text{SFR}(t)$ backward in time Lilly et al. 2013
- obtain $M_g(t), \dot{M}_g(t)$ from observed depletion times Genzel et al. 2014
- mass loading factor from simulations & observations Hopkins et al. 2011
Chisholm et al. 2015
- mass conservation equation provides $\dot{M}_{g,\text{in}}(t)$
- evolve model forward with Z and D network

$$\dot{M}_g = \dot{M}_{g,\text{in}} - (1 - R) \text{SFR} - \epsilon_{\text{out}} \text{SFR}$$

The dynamical model reproduces scaling relations

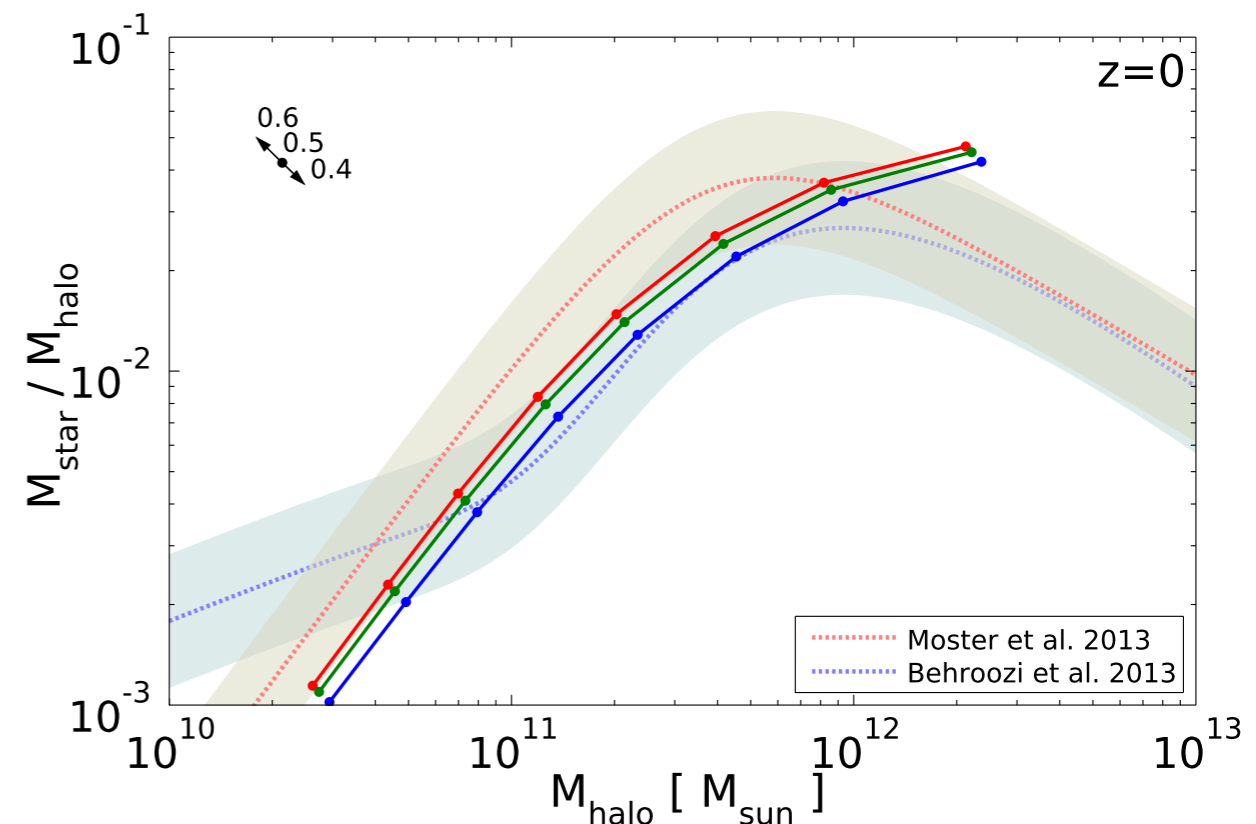


Dynamical model matches:

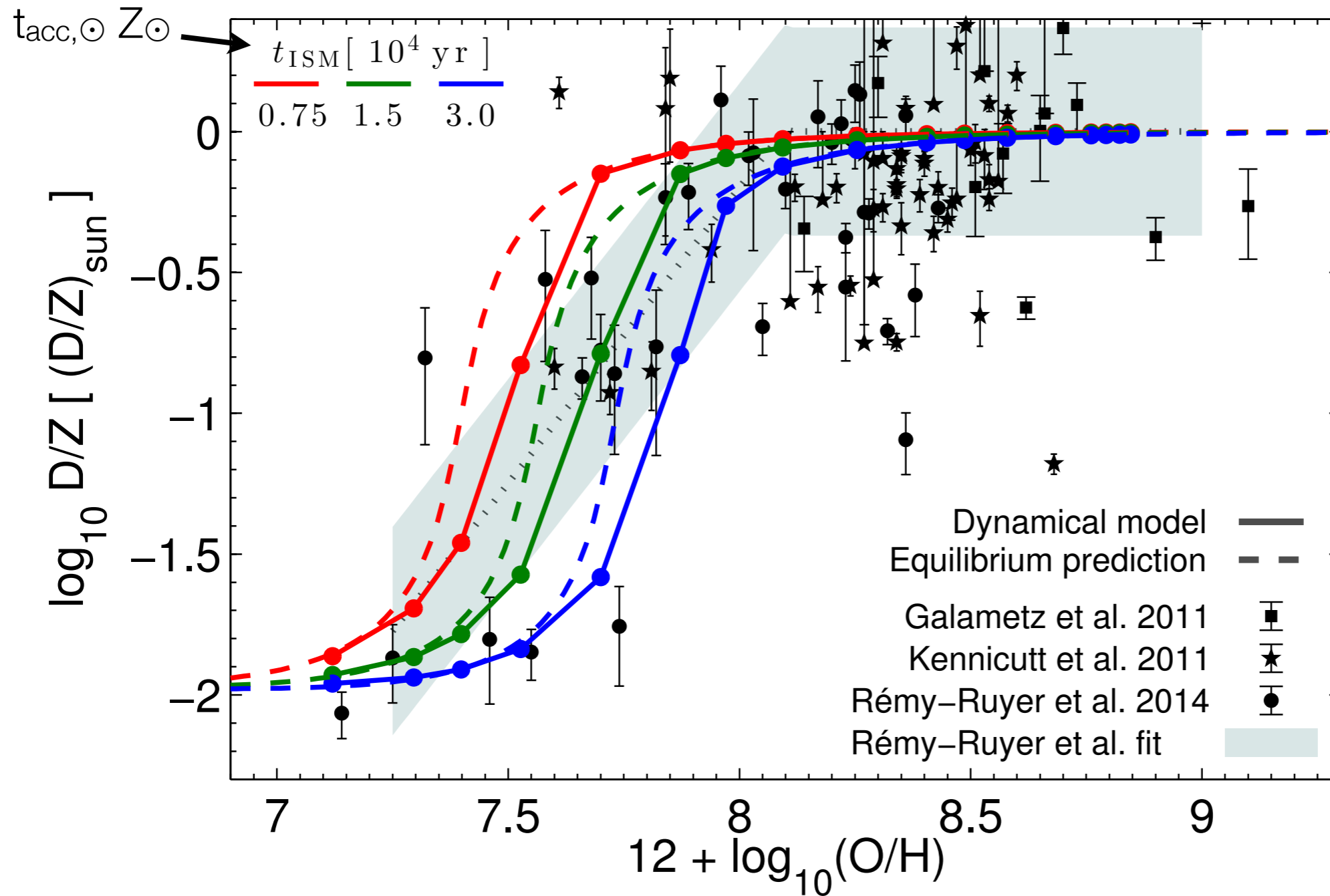
- total/molecular f_{gas} , gas-to-stellar ratios
- mass – metallicity relation and its evolution
- stellar mass – halo mass relation and its evolution (for $M_{\text{halo}} < 10^{12} M_{\odot}$)

By construction:

- main sequence evolution

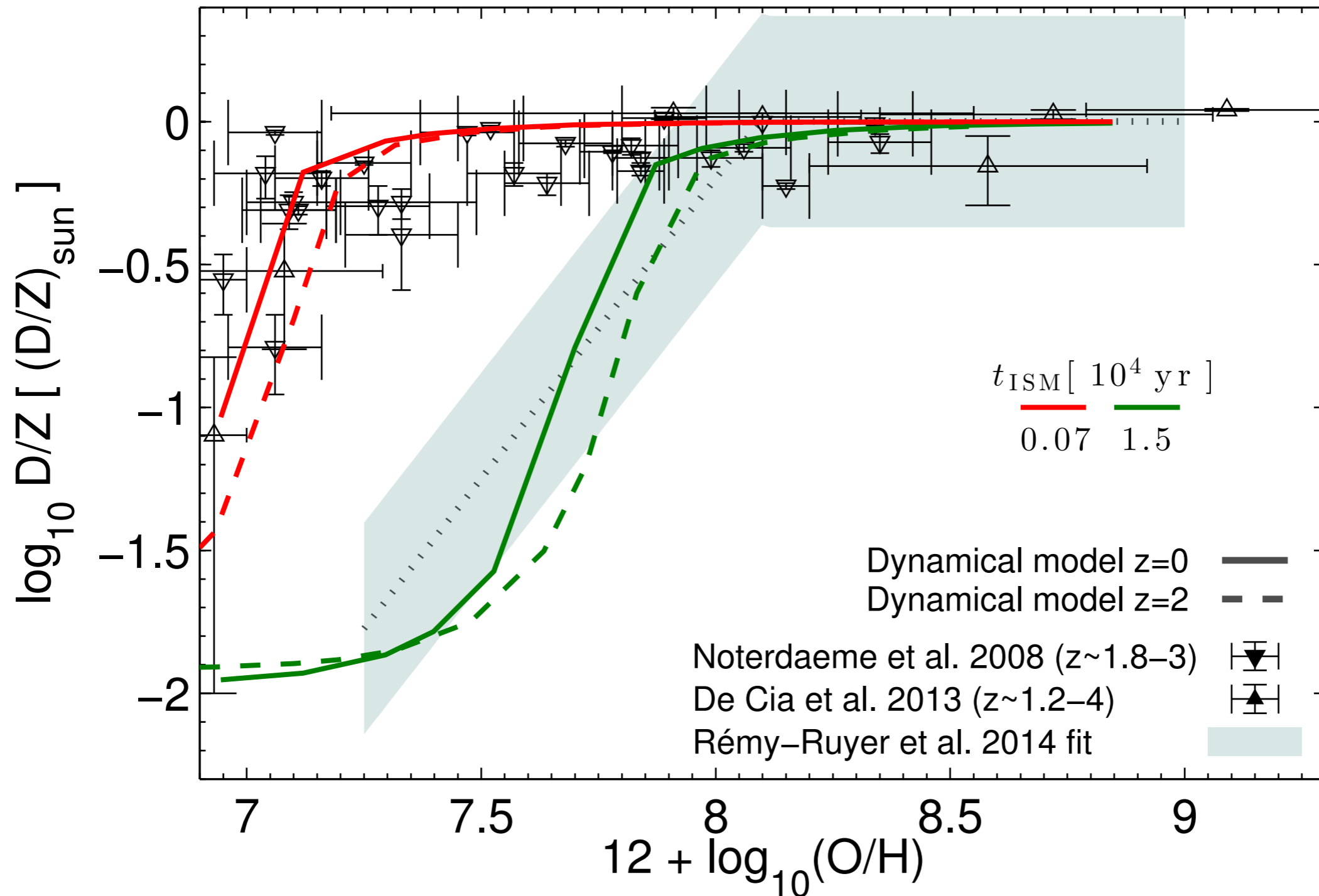


The Z - D relation revisited



- Equilibrium ansatz describes the Z - D relation qualitatively correct
- Some difference to dynamical model during the transition
- $t_{\text{acc}, \odot} \sim 10^6 \text{ yr}$

The Z - D relation at higher redshift



- little difference expected unless model parameters evolve strongly with z
- intriguing: QSO & GRB observations indicate \sim MW D/Z ratios even at low Z

Outflow rate ~ Inflow rate

outflows ~ inflows at all times

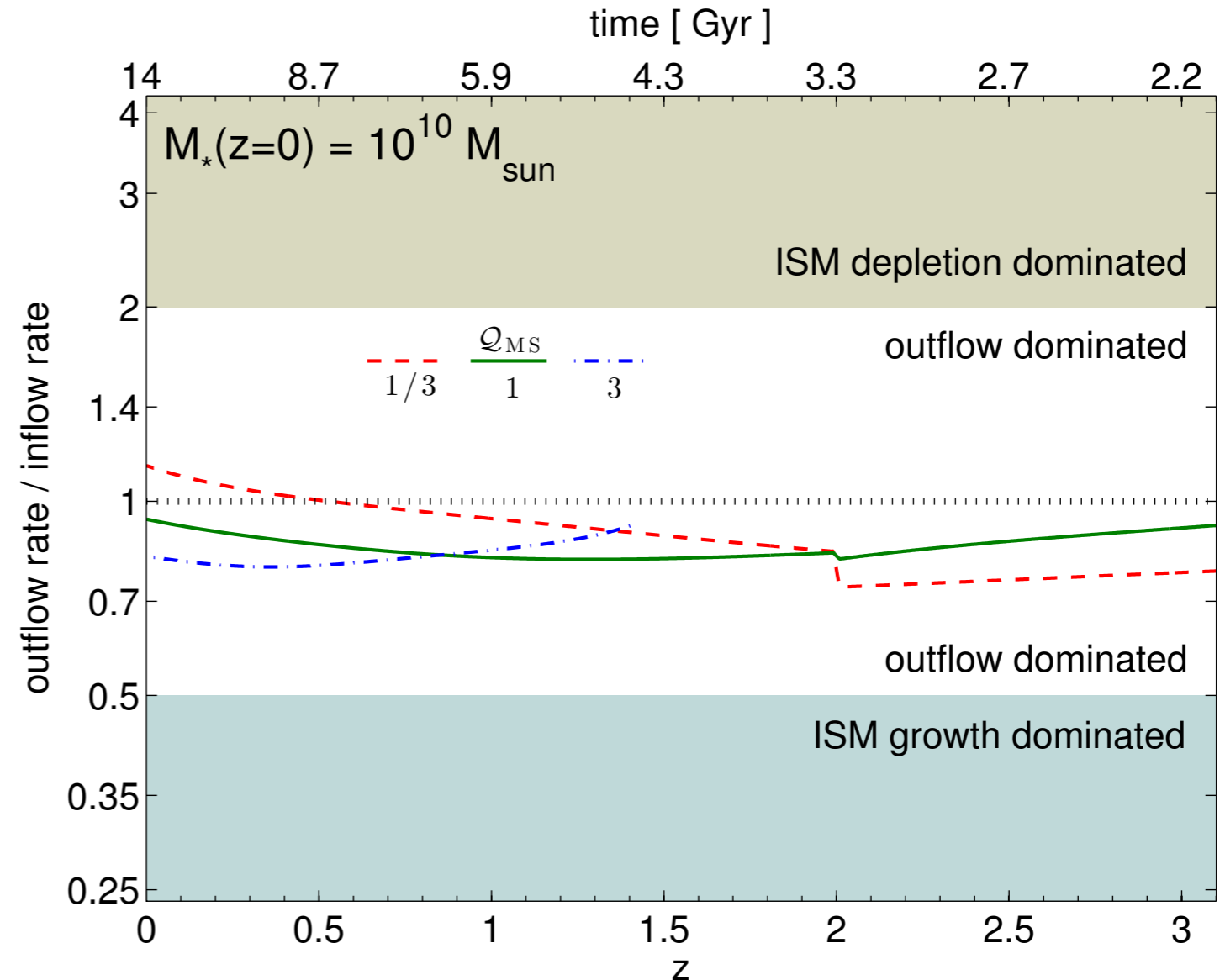
$$\frac{\text{outflow rate}}{\text{inflow rate}} = \frac{\epsilon_{\text{out}} \text{SFR}}{\dot{M}_{\text{gas,in}}}$$

$$\sim \frac{\epsilon_{\text{out}}}{\epsilon_{\text{out}} + \dot{M}_{\text{gas}}/\text{SFR}}$$

⇒ $\dot{M}_{\text{gas}}/\text{SFR} \ll \epsilon_{\text{out}}$

$$\left(\frac{\text{SFR}}{\dot{M}_{\text{gas,in}}} \right)^{-1} = \epsilon_{\text{out}} + (1 - R) + \dot{M}_{\text{gas}}/\text{SFR} \quad \& \quad \langle Z \rangle \sim y \frac{\text{SFR}}{\dot{M}_{\text{gas,in}}}$$

⇒ (low) Z set by (large) value of mass loading factor



How does it all fit together?

Low mass galaxy:

- large outflow mass loading
- large outflow & large inflow rates (~equilibrium)
- inflow of metal-poor, dust-poor gas
=> dilution of pre-existing dust & metals
- $Z \ll Z_{\text{crit}}$; grain growth unimportant
- D/Z small

High mass galaxy:

- low outflow mass loading
- dilution of gas metallicity is small => $Z \gg Z_{\text{crit}}$
- grain growth efficient
- D/Z near the depletion limit

Conclusions

- D & Z of galaxies can be modeled based on an equilibrium ansatz:

$$\dot{D} \equiv 0 \text{ \& \; } \dot{Z} \equiv 0$$

- Naturally predicts low D/Z at low Z and high D/Z at high Z
- critical metallicity: grain growth balanced by dust dilution (SN destruction only secondary effect)
- Empirical dynamical model reproduces several core observations
- Good agreement between dynamical model and equilibrium approach
- The stellar mass dependence of galactic outflows drives the evolution of Z, D, and D/Z in galaxies.

see Feldmann 2015, MNRAS, 449 [arxiv: 1412.2755]

Thank you!